

All rows, columns, and three numeral diagonals must add up to the same sum. Write the total and then fill in the empty spaces.

Problem 1			Pr	oblem 2			
	12	37		<mark>30</mark>			
		14		35	35	35	
		24					
Total:				Total:			
Problem 3			Pr	oblem 4			
Problem 3	0		Pr	oblem 4	57		
	0 35		Pr	oblem 4	57 33		
		14	Pr	oblem 4	33	51	

Problem 2: ? = 10 <u>Explanation</u> : Remove from both sides on 2nd	Problem 2: ? = 12 Explanation: Divide both sides on 1st balance in			
balance so $\bigcirc \blacklozenge$ = 15. Substitute 15 for each $\bigcirc \blacklozenge$	half so $\Delta = \mathbf{O}$. Substitute \mathbf{O} for each Δ on 2nd			
on 1st balance so $15 + 15 = 30 = \bigstar \bigstar \bigstar$				
Divide both sides in thirds so $10 = \bigstar$.	balance so $4 = 12 + 4$. Remove from sides so $4 = 12$.			
Page 33	$\bullet \bullet \text{ from sides so } \bullet \bullet = 12.$			
Problem 1: Problem 2:	Page 37			
120 80 280 43 1 67	Problem 1: b = 65 Problem 2: a = 82 c = 27 c = 29			
320 160 0 61 37 13	d = 48 $d = 38$			
40 240 200 7 73 31	b - d = 17 $a - c = 53$			
Total: 480 Total: 111				
	Problem 3: a = 100 Problem 4: a = 125			
Problem 3: Problem 4:	b = 81 b = 136			
30 50 22 48 43 44	d = 33 c = 88			
26 34 42 41 45 49	a - d = 67 b - c = 48			
46 18 38 46 47 42				
Total: 102 Total: 135	Page 38			
	Problem 1: Problem 2:			
Page 34	800 600 1,600 101 5 71			
Problem 1: $? = 75$	1,800 1,000 200 29 59 89			
Explanation: Remove \bigvee from both sides on 2nd	400 1,400 1,200 47 113 17			
balance so $\bigcirc \bigcirc = \bigcirc \square$. Substitute $\bigcirc \bigcirc$ for	Total: 3,000 Total: 177			
\bigcirc on 1st balance so 100 = \bigcirc \bigcirc \bigcirc \bigcirc Divide	Problem 3: Problem 4:			
	55 78 68 91 7 103			
in fourths, \blacksquare = 25. Divide both sides in half on 1st	80 67 54 79 67 55			
balance so 50 = \bigcirc \square . \bigcirc \bigcirc \square = 25 + 50 = 75.	66 56 79 31 127 43			
Problem 2: $? = 750$	Total: 201 Total: 201			
Explanation: Remove \bigcirc + 10 from both sides on	Page 39			
2nd balance so Φ = 15. Substitute 15 for Φ on	Problem 1: b = 52 Problem 2: a = 150			
1st balance so Θ = 500. Divide in half so ∇ = 250.	c = 48 c = 850			
\frown	d = 2 d = 125			
$\bigcirc \bigcirc = 500 + 250 = 750.$	a - d = 10 b - c = 75			
Dago 25				
Page 35 Problem 1: b = 200 Problem 2: a = 470	Problem 3: $a = 63$ Problem 4: $a = 1,000$			
c = 40 $c = 140$	b = 71 b = 118			
d = 130 $d = 220$	d = 37 c = 582			
a - d = 0 $b - c = 250$	a - c = 36 b + d = 877			
	Page 40			
Problem 3: a = 66 Problem 4: a = 112	Problem 1: ? = 24			
b = 46 b = <mark>94</mark>	Explanation: Remove 3 from both sides and divide in			
d = 36 c = <mark>52</mark>	fourths on 1st balance so $9 = 4$. Substitute 9 for			
a - c = 50 b - d = <mark>55</mark>	A			
Dara 26	I on 2nd balance so $+7 = 9 + 1 = 10$. Remove			
Page 36 Problem 1: ? = 72 Λ	7 from both sides so $\diamondsuit = 3$.			
Explanation: Remove $$ from both sides on 1st				
	Broblem 2: 2, 100			
balance so $\mathbf{\nabla} \mathbf{\nabla} \mathbf{\nabla} \mathbf{\nabla} \mathbf{\nabla}$. Double both	Problem 2: ? = 100 <u>Explanation</u> : Divide both sides on 2nd balance in			
sides on 2nd balance so Θ = 32. Substitute 32 for				
\bigcirc on 1st balance so $\blacklozenge \blacklozenge \blacklozenge \blacklozenge \blacklozenge = 96$. Divide both	fifths so $\blacksquare = 8$. Substitute 8 for each \blacksquare on 1st			
	balance so $\square \square = 48$. Divide into thirds so $\square =$			
sides in fourths so \P = 24. \P \P = 24 + 24 + 24 = 72.	16. So $\square = 32 + 16 = 48$. $\square = +52 = 100$.			
	1			